

第 1 章

R1 The transportation mode. e.g. car, bus, train, car.

R2 Not redundant. TCP can reorder packets.

R3 Framing: IP & TCP
link access: ~~SP~~

Reliable Delivery: TCP 有, IP 无.

flow control: TCP 也有

error detection: TCP & IP 都有.

error correction: full duplex: TCP 也有.

R4 会. 拥塞控制可避免丢包.

R5 1, 2, 4

1, 2, 3, 4

R6 After the 5th collision, the adapter choose from {0, 1, ..., 3}.
The probability that it chooses 4 is $1/32$. It waits
2048 microseconds

R7 In polling, a discussion leader allows only one
participant to talk at a time, with ~~not~~ each participant
getting a chance to talk in a round-robin fashion.
For token ring, there isn't a discussion leader, but
there is wine glass that the participants take turns

holding. A participant is only allowed to talk if the participant is ~~the~~ holding the wine glass.

R8 ~~¶~~ When a node transmits a frame, & the node has to wait for the frame to propagate around & the entire ring before the node can release the token. Thus, if L/R is small as compared to t_{prop} , then the protocol will be inefficient.

R9. 2^{48} Mac addresses, 2^{32} IPv4 addresses;
 2^{64} IPv6 addresses.

R10. C's adapter will process the frames, but the adapter will not pass the ~~the~~ datagrams up & the protocol stack. If the L & V broadcast address is used, then C's adapter will both process the frames and pass the datagrams up the protocol stack.

R11. An ARP query is sent in a broadcast & frame because the querying host does not ~~who~~ which adapter address corresponds to & the IP address in question. For the response, the ~~to~~ sending node ~~to~~ knows the adapter address to which the ~~respond~~ response should be ~~send~~ sent, so there is no need to send a broadcast frame.

R12 No it is not possible. Each LAN has its own distinct set of adapters attached to it, with each adapter having a unique LAN address.

R13 The three Ethernet technologies have identical frame structures.

P1

1	1	1	0	1
0	1	1	0	0
1	0	0	1	0
1	1	0	1	1
1	1	0	0	0

P2 Suppose we begin with the initial two-dimensional parity matrix:

0 0 0 0

1 1 1 1

0 1 0 1

1 0 1 0

Now suppose there is a bit error in row 2, column 3, and column 3. The parity of row 2 is now correct. The parity of columns 2 and 3 is wrong, but we can't detect in which row the error occurred!

Q3 01100101 01110010

Q4 a) 000011001 00011110

b) 01100000 01011011

c) 11110111 11111010

Q5 $R = 0100$

Q6 a) $R = 0000$

b) $R = 1111$

c) $R = 1001$

P7a) With loss of generality, suppose i^{th} bit is flipped, where $0 \leq i \leq d+r-1$ and assume that the least significant bit is 0^{th} bit.

A single bit error means that the received data is $K = D \times 2^r \oplus R \oplus 2^i$. It is clear that ~~if odd-number of~~ if we divide K by G , then the remainder is not zero. In general, if G contains at least two 1's, then a single bit error can always be detected.

b) The key insight here is that G can be divided by 11, but any number of odd-number of 1's cannot be divided by 11. Thus, a sequence of odd-number bit errors cannot be divided by 11. Thus it cannot be divided by G .

a)

$$P8. E(p) = N p (1-p)^{N-1}$$

$$E'(p) = N(1-p)^{N-1} - N(N-1)p(1-p)^{N-2}$$

$$= N(1-p)^{N-2} [(1-p) - p(N-1)]$$

$$E'(p) = 0 \Rightarrow p^* = \frac{1}{N}$$

b)

$$E(p^*) = N \cdot \frac{1}{N} \cdot \left(1 - \frac{1}{N}\right)^{N-1} = \left(1 - \frac{1}{N}\right)^{N-1} = \frac{\left(1 - \frac{1}{N}\right)^N}{1 - \frac{1}{N}}$$

$$\lim_{N \rightarrow \infty} \left(1 - \frac{1}{N}\right) = 1 \quad \lim_{N \rightarrow \infty} \left(1 - \frac{1}{N}\right)^N = \frac{1}{e}$$

$$\text{Thus } \lim_{N \rightarrow \infty} E(p^*) = \frac{1}{e}$$

P10 a) A's average ~~throug~~ throughput is given by $p_A(1-p_B)$

Total efficiency is ~~is~~ $p_A(1-p_B) + p_B(1-p_A)$

b)

$$A's \text{ throughput is } p_A(1-p_B) = 2p_B(1-p_B) = 2p_B - 2p_B^2$$

$$B \quad p_B(1-p_A) = p_B(1-2p_B) = p_B - 2p_B^2$$

Clearly, A's throughput is not twice as large as B's

c) A's throughput is $2p(1-p)^{N-1}$, and any other node has throughput $p(1-p)^{N-2}(1-2p)$

P13 The length of a polling round is $N(Q/R + d_{poll})$

The ~~number~~ number of bits transmitted in a polling round is NQ . The maximum throughput therefore is

$$\frac{NQ}{N(Q/R + d_{poll})} = \frac{R}{1 + \frac{d_{poll} R}{Q}}$$



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Q15^{a)} No. E can check the subnet prefix of Host F's IP address, and then learn that F is on the same LAN. Thus, E will not send the packet to the default router R1.

Source IP = E's IP address.

Destination IP = F's IP address.

Source MAC = E's MAC address.

Destination MAC = F's MAC address.

b) No. 不在同一 LAN 中。E 通过查看 B 的 IP 知道。

源 IP = E 的 IP. 目的 IP = B 的 IP

源 MAC = E 的 MAC. 目的 MAC = 连接到子网 R1 接口的 MAC.

c) 向 B. S1 广播 ARP 包。其他会收到，不会转发。

不会 ARP 包已包含 A 的 MAC。转发给 A，并更新转发表。

Q16 a) 否 b) 是. c) 向 B 交换机广播 会收到会广播. 同 Q15.

$$Q17 \quad \frac{512 \times 100 \text{ bits}}{10 \text{ Mb/s}} = 5.12 \text{ ms} \quad 100 \text{ Mbps} \rightarrow 512 \mu\text{s}.$$

Q18 0: A 和 B 开始传输。

245: A 和 B 检测碰撞。

293: 碰撞检测和处理延迟 48 bit time + 245. 站发送阻塞信号。

538: B 的最后一位到达 A. A 检测到线路占用。

634: + 96 bit time 检测线路占用。A 开始重传。

804: 293 + 512. B 回到第 0 步。



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Q20 a) 令 β 为发送成功占用信道概率. $\beta = \sum_{m=1}^N C_N^m p^m (1-p)^{N-m} = Np(1-p)^{N-1}$
~~Y 发送成功~~ $P(Y=m) = \beta(1-p)^{m-1}$
 所需次数 $X = EX = \sum_{m=1}^{\infty} m P(Y=m) = \sum_{m=1}^{\infty} m \beta(1-p)^{m-1}$

$$= \frac{1 - Np(1-p)^{N+1}}{Np(1-p)^{N-1}} = \frac{k}{k + \frac{1 - Np(1-p)^{N+1}}{Np(1-p)^{N-1}}}$$

b) $p = \frac{1}{N}$

c) $\lim_{N \rightarrow \infty} = \frac{k}{k + \frac{1 - \frac{1}{e}}{\frac{1}{e}}} = \frac{k}{k + e - 1}$

d) ~~$\lim_{k \rightarrow \infty} \frac{k}{k + e - 1} = 1$~~ $\lim_{k \rightarrow \infty} \frac{k}{k + e - 1} = 1$

Q26 ① 到 A, C, D, E, F. 交换位置.

② B

③ B

④ A

Q27 a) $\frac{8 \cdot L}{12 \times 10^3} s = \frac{L}{16} ms$

b) $L = 1500, \frac{1500}{16} ms = 93.75 ms$
 $L = 50, \frac{50}{16} ms = 3.125 ms$

c) $\frac{L \cdot 8 + 40}{R}$